

B.Sc. Part II

Paper IV

Current electricity

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Current electricity.

# Short Notes

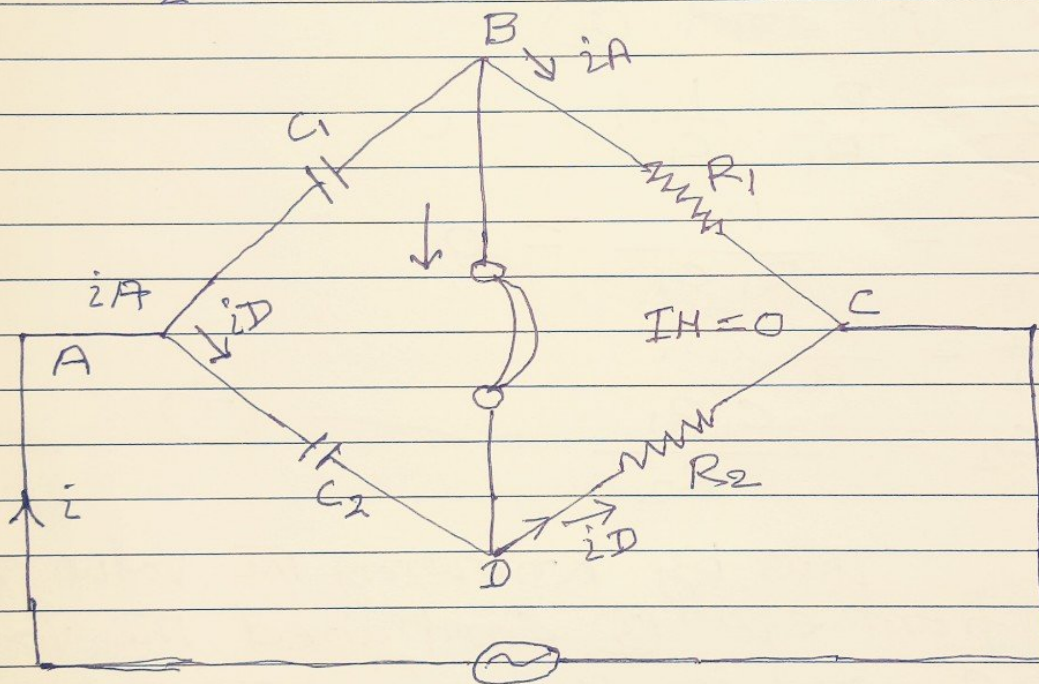
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## De Sauty Bridge :-

De Sauty Bridge is same as wheat-stone bridge whose source is audio frequency oscillator and detector is head-  
phone by which comparison of capacitances of two capacitor. As shown in figure a head  
phone H is used in place of Galvanometer in  
De Sauty bridge.  $C_1$  and  $C_2$  are two capacitors  
whose capacitances are to be compare and  $R_1$   
and  $R_2$  are two inductless resistance.



Keeping the value of  $R$  constant, the value of  $R_2$  is as changed that the passed current  $I$  across the head phone become zero and no any sound be heard in the ear by head phone.

Teacher's Signature \_\_\_\_\_

This position is called The balanced condition of bridges.

In this position by the Kirchhoff's law in the circuit ABDA. we get.

$$-j \frac{1}{C_1 \omega} i_A - (-j \frac{1}{C_2 \omega}) i_D = 0$$

$$\text{or } \frac{j}{\omega} \left( \frac{i_D}{C_2} - \frac{i_A}{C_1} \right) = 0 \quad \text{--- (1)}$$

By the Kirchhoff's law in BCDB circuit we get

$$R_1 i_A - R_2 i_D = 0$$

$$\text{or } i_A = \frac{R_2}{R_1} i_D \quad \text{--- (2)}$$

By equ<sup>n</sup> (1) and (2)

$$\frac{i_D}{C_2} - \frac{R_2}{R_1} \cdot \frac{1}{C_1} i_D = 0$$

$$\therefore \frac{1}{C_2} = \frac{R_2}{R_1 C_1} = 0$$

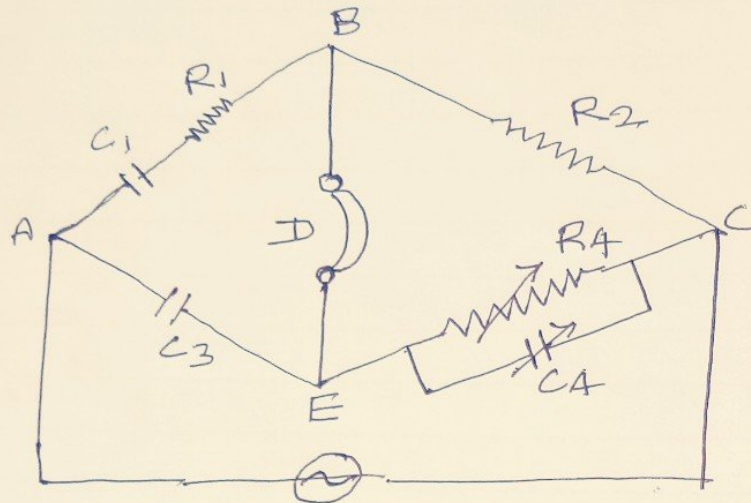
$$\text{or } \frac{C_2}{C_1} = \frac{R_2}{R_1}$$

$$\text{or } C_2 = \frac{C_1 R_2}{R_1} \quad \text{--- (3)}$$

Thus by knowing the value of  $R_1$  and  $R_2$  from equ<sup>n</sup> (3) compared the value of  $C_1$  and  $C_2$  and on knowing the value of any one  $C_1$  or  $C_2$  the value of other is also known.

## Schering Bridge :-

Schering bridge is same as wheat stone bridge whose source is also audio frequency oscillator and detector is head phone by which the capacitance of low value capacitor is measured. The capacitor of unknown capacitance is connected in arm AB and a virtual resistance  $R_1$  is connected in its series as shown in figure.



A standard capacitor  $C_3$  is connected in arm AE, whose virtual resistance is negligible. Non-inducting resistance  $R_2$  and  $R_4$  is connected in the rest arm BC and EC. A variable graduated air capacitor  $C_4$  is attached in parallel of  $R_4$ . In an equilibrium condition, we get

$$\frac{R_1 + \frac{1}{j\omega C_1}}{R_2} = \frac{1}{j\omega C_3} \left( \frac{1}{R_4} + j\omega C_4 \right)$$

$$\frac{\omega \cdot R_1 R_4 j\omega C_3 + \frac{R_4 C_3}{C_1}}{C_1} = R_2 + R_2 R_4 j\omega C_4$$

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Equating its imaginary parts, we have

$$R_1 R_4 C_3 = R_2 R_4 C_4$$

$$\text{or } \frac{R_1}{R_2} = \frac{C_4}{C_3} \quad \text{--- (1)}$$

Again equating its real parts, we have

$$\frac{R_4 C_3}{-C_1} = R_2$$

$$\text{or } C_1 = C_3 \frac{R_4}{R_2} \quad \text{--- (2)}$$

Thus knowing the value of  $C_1$ , the value of  $C_3$  is found.